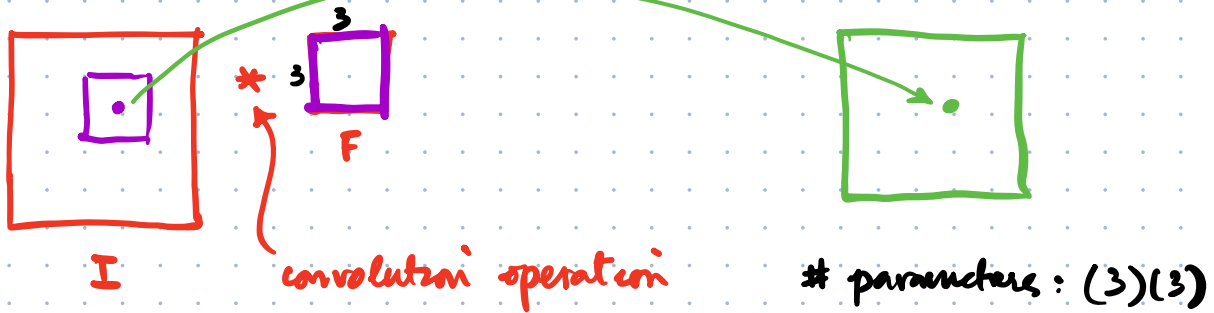


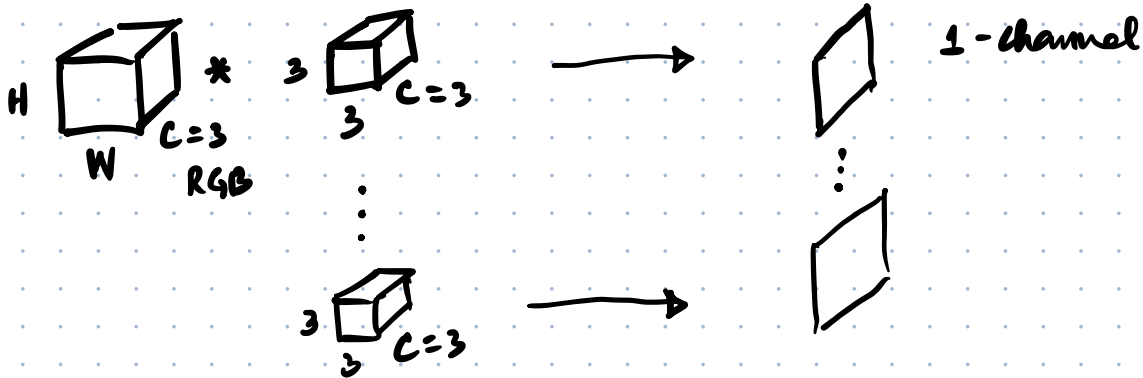
CONVOLUTIONS in Deep Networks

Simple 2D case



- padding
- stride

2D convolution in Deep Networks analysing images.



$\#$ filters = C

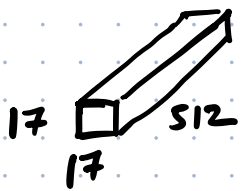
size of filters = $5 \times 5 \times (3)$

\uparrow
number of input channels

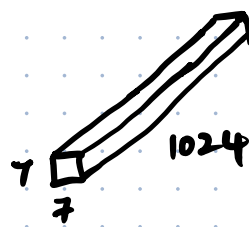
$\#$ num of parameters = $(75)(C)$

independent of the height and width of the input and the output

depends only upon the number of channels and the size of the kernel



→
parameters



kernel: 3×3

parameters: $(3)(3)(512)(1024) \sim 4.5 \text{ million}$

Aside: How many parameters for an MLP

Flattened input: $(17)(17)(512) = 147968$

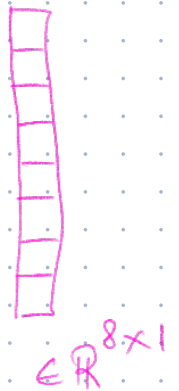
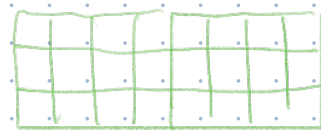
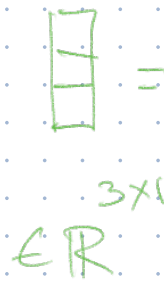
output: $(7)(7)(1024) = 50176$

parameters:

$(50176)(147968)$

$= 7.42 \times 10^9$

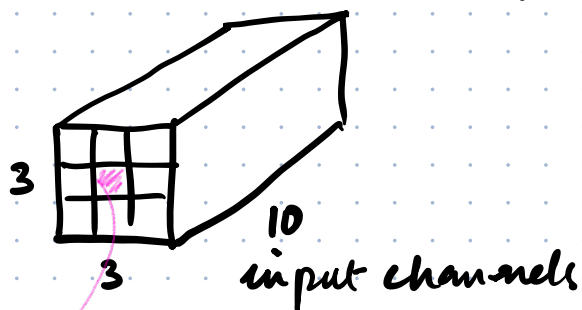
billions



Point-wise convolution

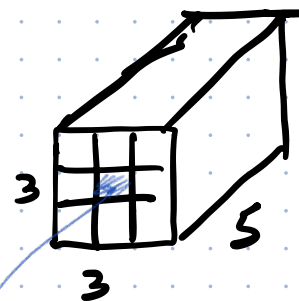
1×1 filter

mixes channel information



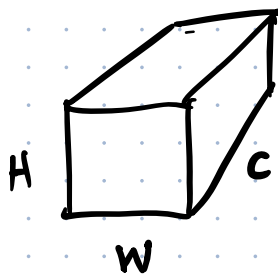
$1 \times 1 \times 10$

filter size

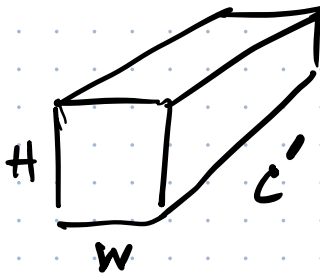


parameters: $(1)(1)(10)(5)$



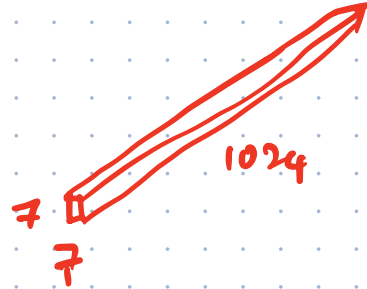
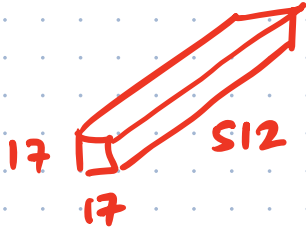


$(1)(1)(C)(C')$
 # parameters



$C' > C$
 $C' < C$
 $C' = C$

Let's go back to our problem:

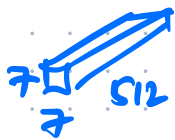


kernel: 3×3

* apply 1 kernel



* applying 1024 kernels:

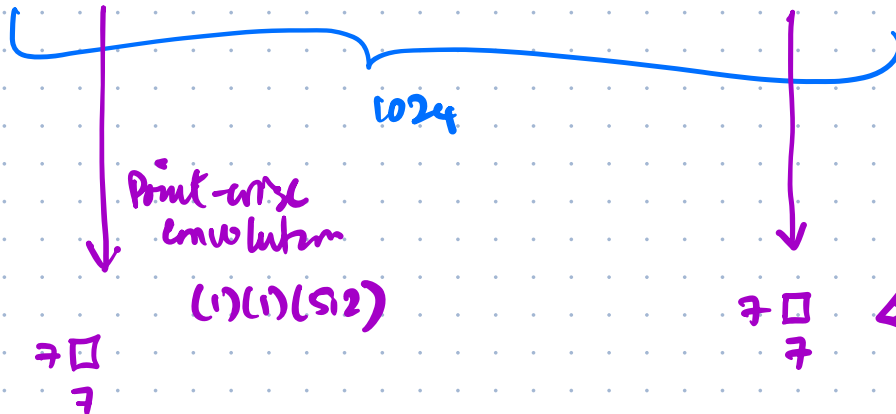


...



$(7)(7)(512)(1024)$

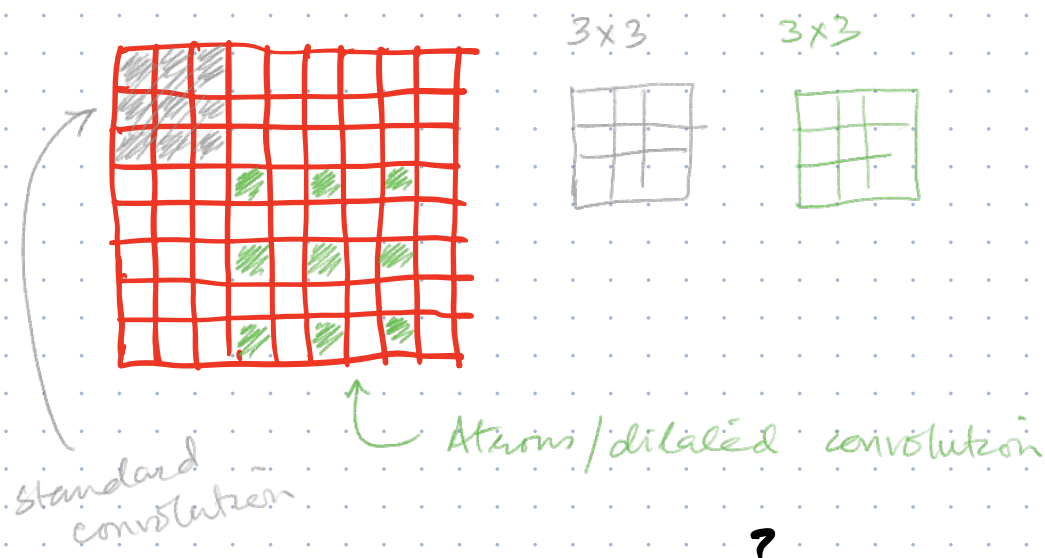
what we want
 $(7)(7)(1024)$



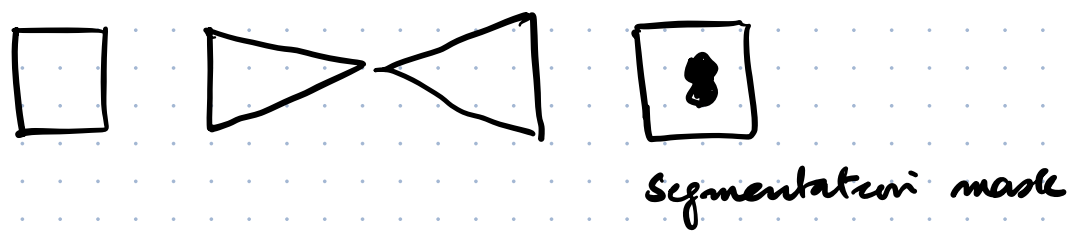
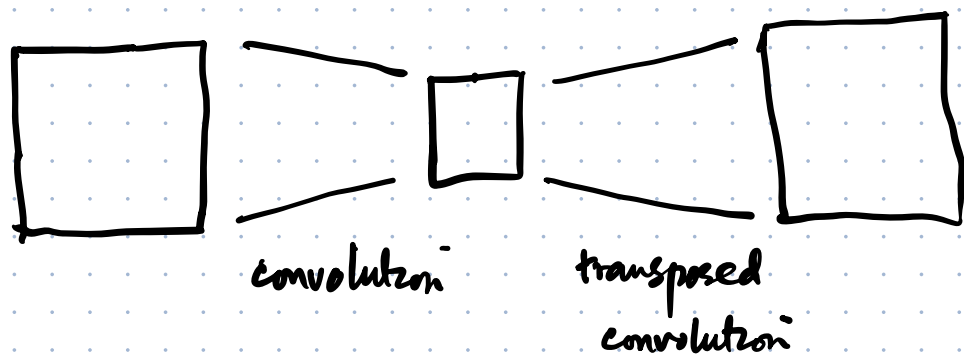
parameters $\sim 50k$

Depth-wise separable convolution.

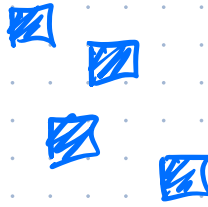
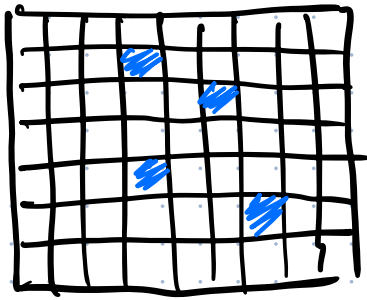
- standard
- point-wise
- depth-wise
- atrous (dilated) convolution ← Segmentation



- Transposed convolution (deconvolution) ?

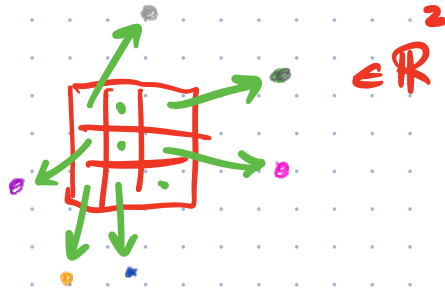
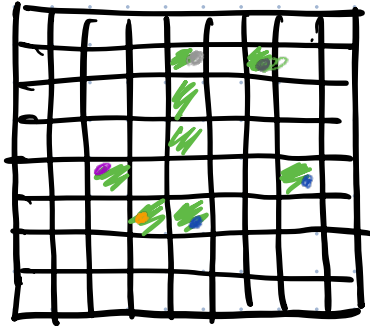


- Non-rectangular convolutions



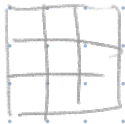
Sampling
Dot-product

- Deformable convolutions



$\in \mathbb{R}^2$

Another convolution provides offsets.



offset prediction

$\rightarrow \in \mathbb{R}^B$

Example -

640 x 480 x 3

